

Properties of Residual EM Bias Error

Karl F. Warnick, Floyd W. Millet and David V. Arnold
Department of Electrical and Computer Engineering
Brigham Young University

November 10, 2003





Residual EM bias error

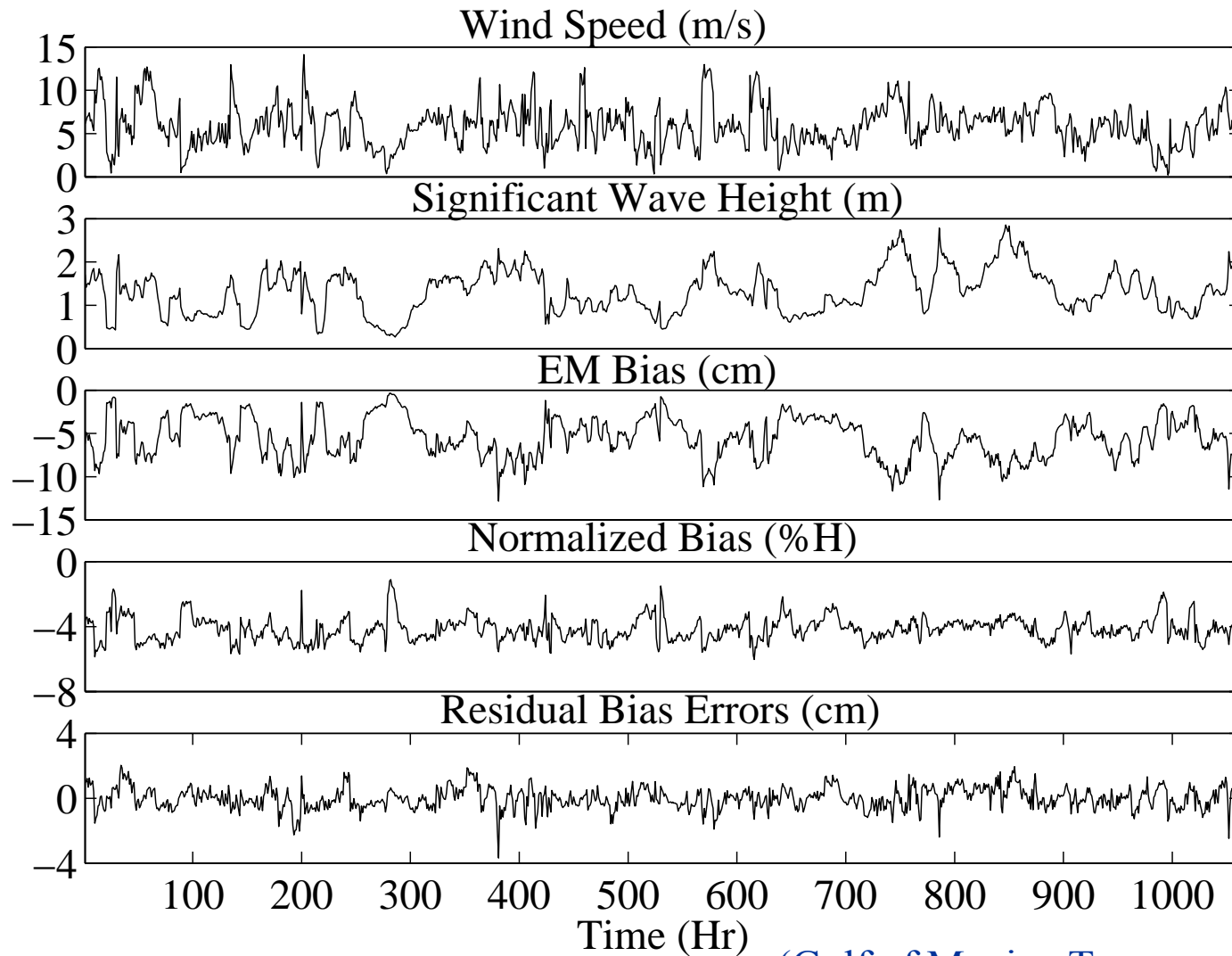
Residual error = remaining bias after correction by empirical parametric or nonparametric wind/wave model:

$$\text{Residual error} = \text{bias} - \text{meanbias}(U, H)$$

Due to finite fetch effects, multiple wave trains, etc., U, H pair does not uniquely specify sea state and hence residual EM bias variability remains.

Goal: Study correlation of residual error with U, H using *in situ* tower bias measurements.

Residual bias error - time series



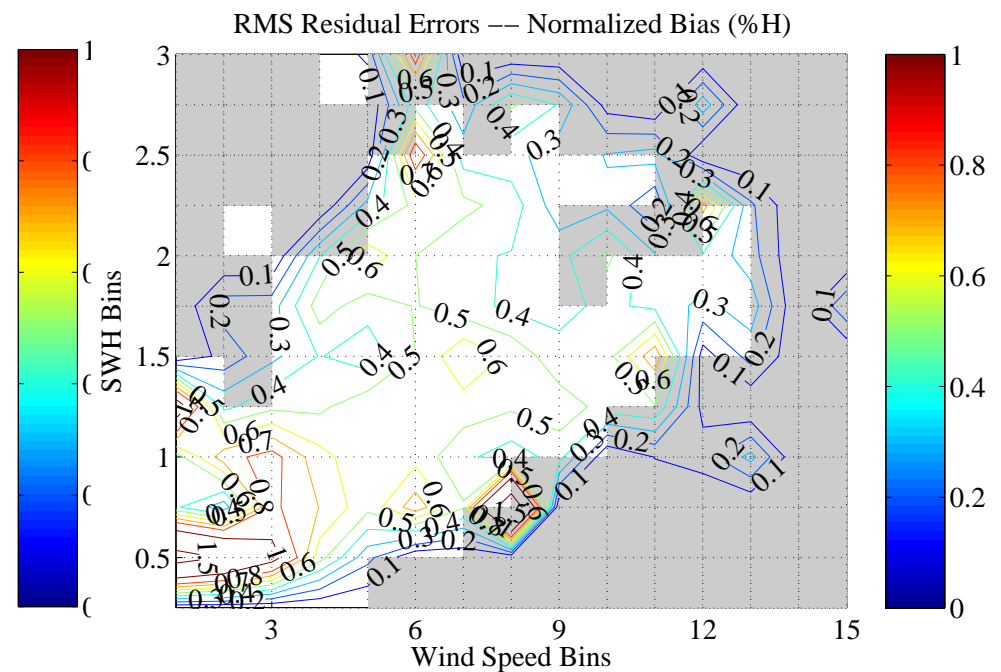
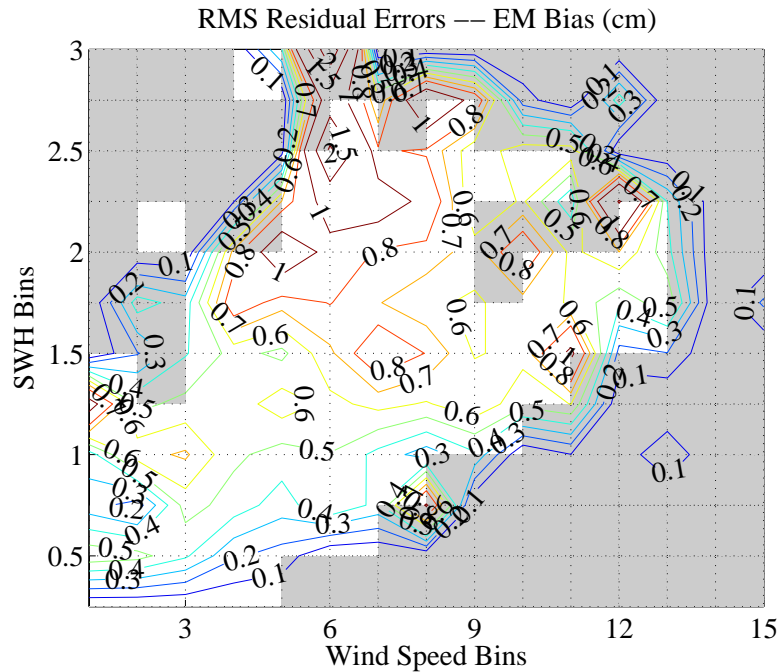
(Gulf of Mexico Tower experiment)

RMS residual bias error



Residual error in wind speed/SWH bins after correction by nonparametric model fit to tower data

Shaded areas indicate low data density





Physics-based EM bias model

Use physics-based model with an additional sea state parameter (RMS long wave slope) to study residual error.

Theoretical form of EM bias:

$$\text{Bias} = -\gamma(U, H)SH$$

S = RMS long wave slope (cutoff = 2.4 m)

H = Significant wave height (SWH)

Theory: $\gamma \approx \text{constant (0.6)}$, determined by small wave spectrum

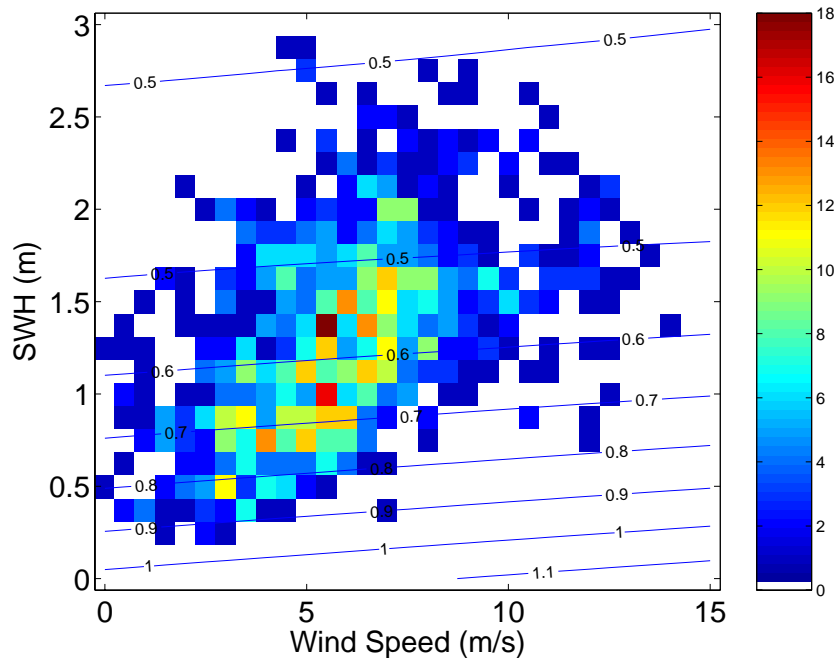
Empirical: fit $\gamma(U, H)$ to tower data set using *low order* polynomial model

Empirical fit of model coefficient



Fit of $\gamma(U, H)$ to tower data set

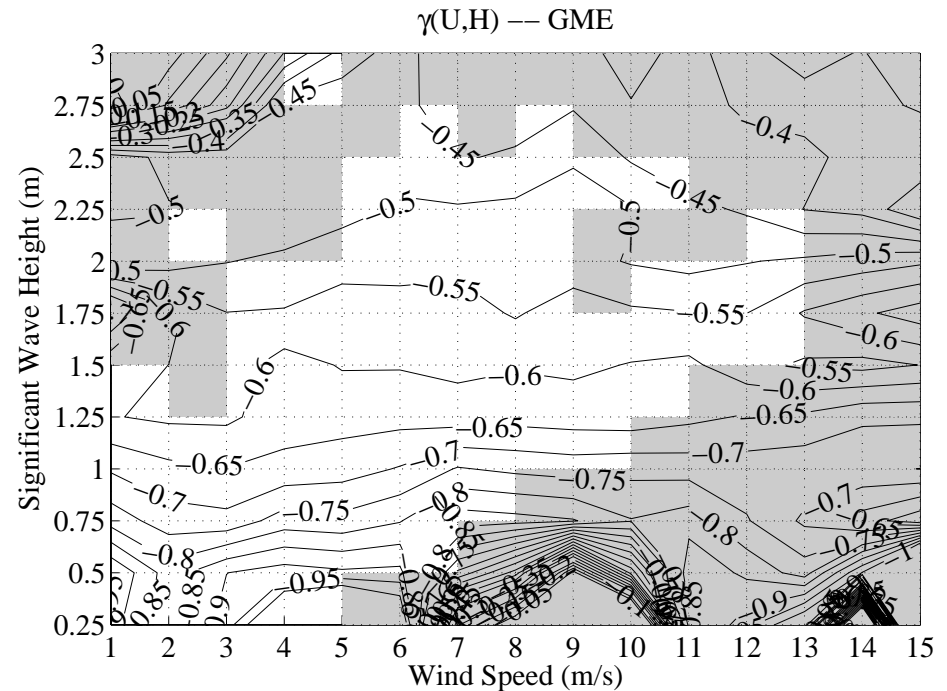
- Dependence is simple - nearly linear in SWH



Parametric fit

(second order polynomial)

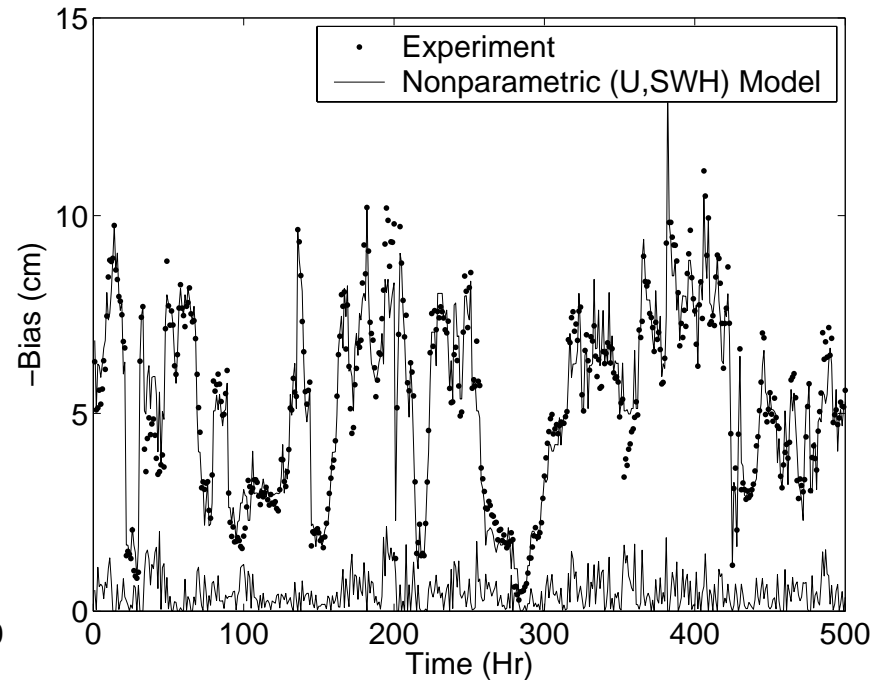
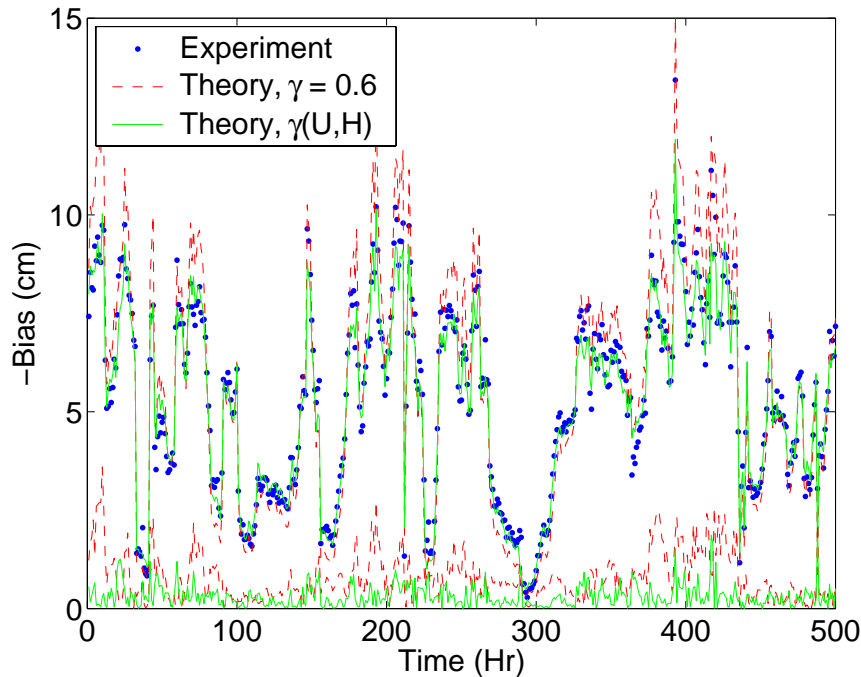
Overlaid on histogram of wind speed/SWH measurements



Nonparametric fit

Shaded areas indicate low data density

Physics-based model - results



Predicted and measured EM bias

Nonparametric model for comparison

Residual errors in cm units on same scale

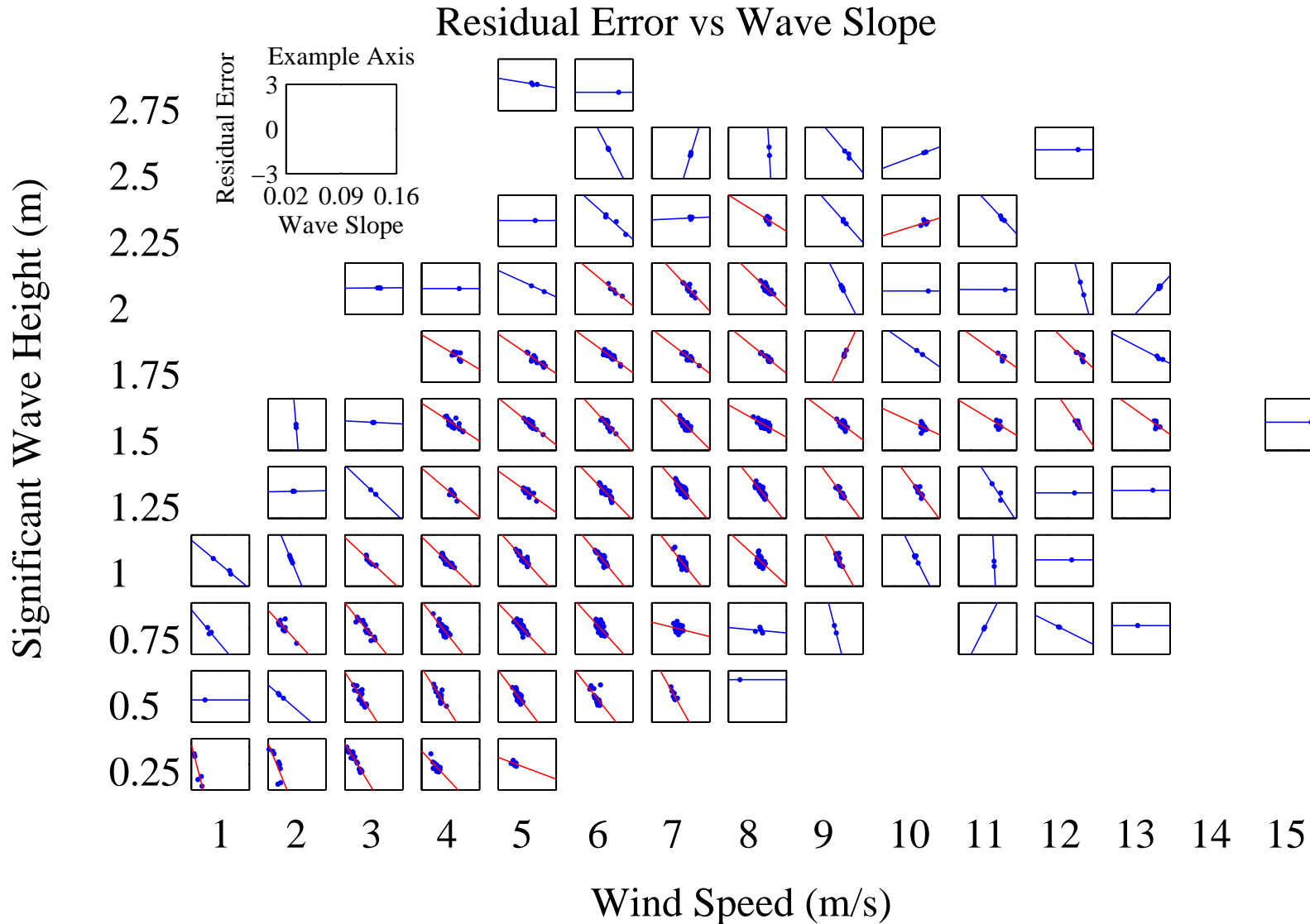
Errors (mean \pm 1std): $-0.52 \pm 1.1\text{cm}$ ($-0.14 \pm 0.78\%H$) for bias = $0.6SH$

$0.01 \pm 0.51\text{cm}$ ($0.01 \pm 0.41\%H$), parametric model, bias = $\gamma(U,H) SH$

$0 \pm 0.4\text{cm}$ ($0 \pm 0.30\%H$), nonparametric model, bias = $f(U,H)$

• *Parametric physics-based model is nearly as good as nonparametric model, with the benefit of more smoothing and less noise sensitivity*

Residual vs. RMS slope





Residual error - correlation

- RMS slope explains much of residual variability
- Vertical spread gives magnitude of residual error in each wind/wave bin
- Horizontal spread is variability of RMS slope
- Slope of line fit gives sensitivity of bias to RMS slope

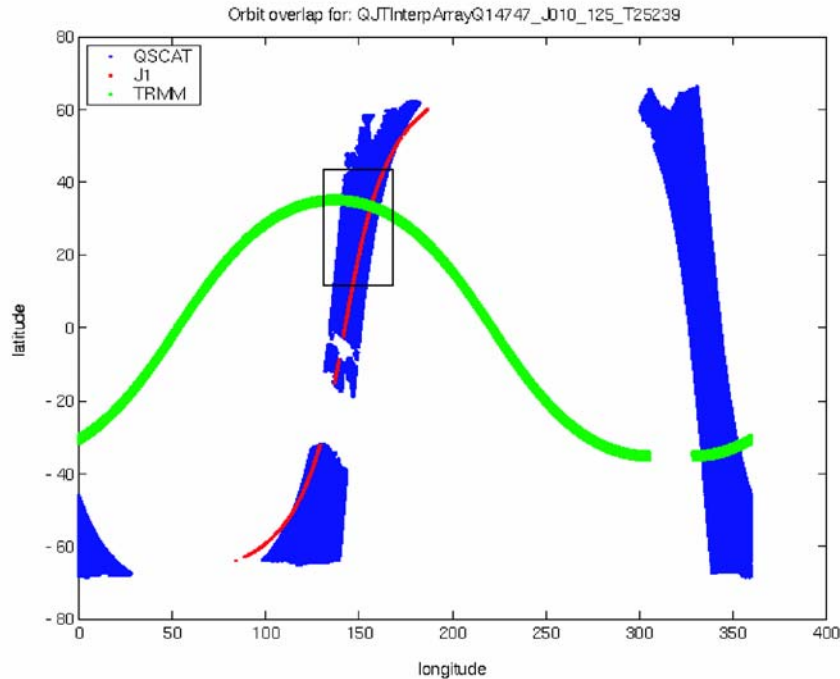


Instrument cross-comparison

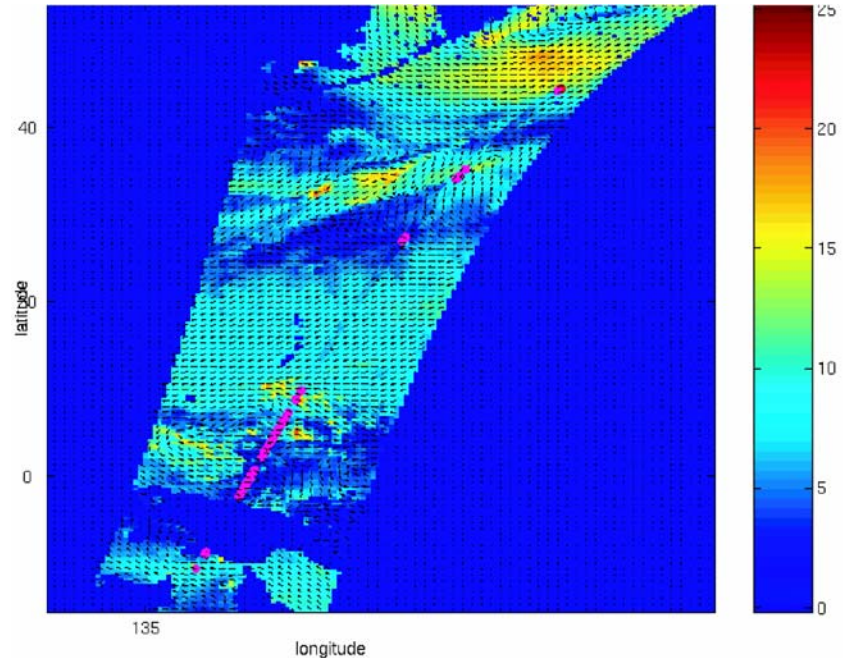
Goal: Study correlation of environmental state with wind speed, SWH, bias

Co-located SeaWinds-on-Quikscat wind speed measurements

- Temporal collocation within 30 minutes



Sample orbit passes of
Jason-1 (red), SeaWinds, and TRMM



Jason-1 wind speeds overlaid on SeaWinds
Pink shows differences greater than 2m/s
• Discrepancies are correlated with mesoscale
wind field/rain features



Conclusions

- cm-order residual bias variability remains after correction by mean bias at a given wind speed/SWH
- RMS long wave slope explains much of this residual variability
- Variability and sensitivity to RMS slope is correlated with sea state
- Variability may also be correlated with mesoscale environmental features