

CryoSat-2 Interferometer Performance and Application to Mesoscale Observations of the Kuroshio Current

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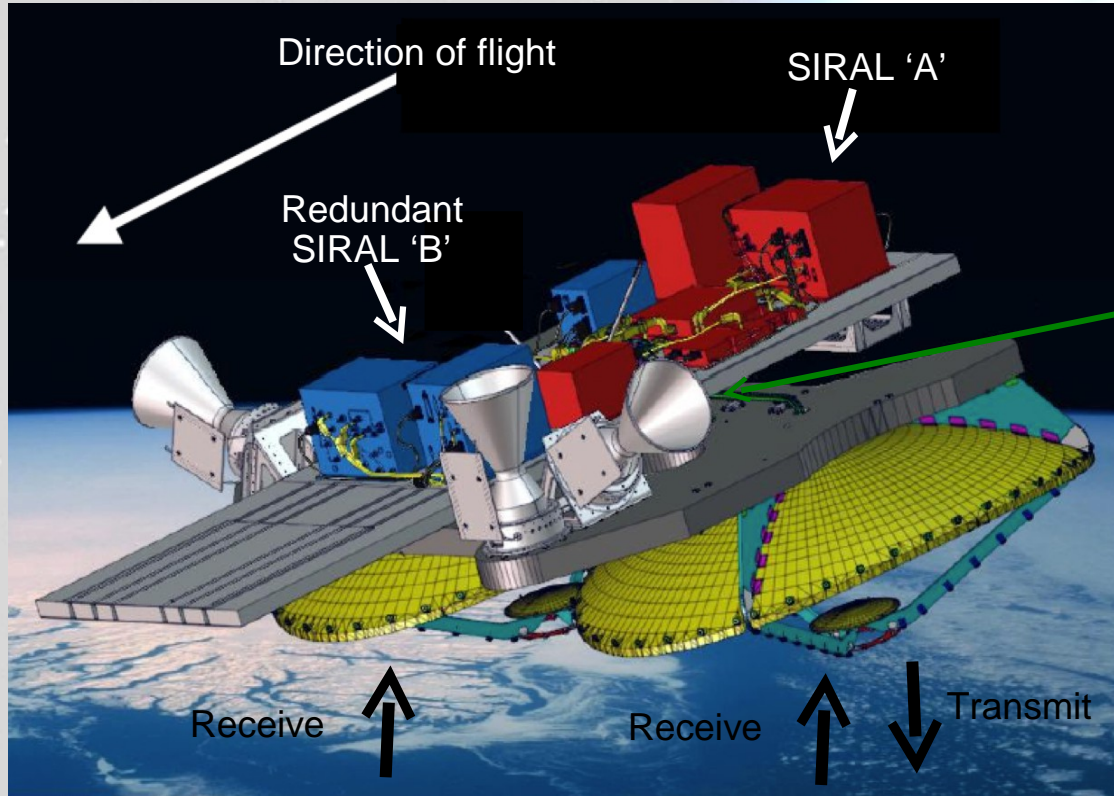
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[2] C.L.S. Space Oceanography Division, France,

[3] NOAA, Satellite Altimetry Lab, Maryland, United States,

[4] ESA-ESTEC, Noordwijk, The Netherlands.

The CryoSat-2 Payload and Operating Modes.



- “SARIN mode”

Illuminated area narrowed along-track by synthetic aperture processing & second receiving antenna forms an across-track interferometer. Star trackers determine baseline orientation.

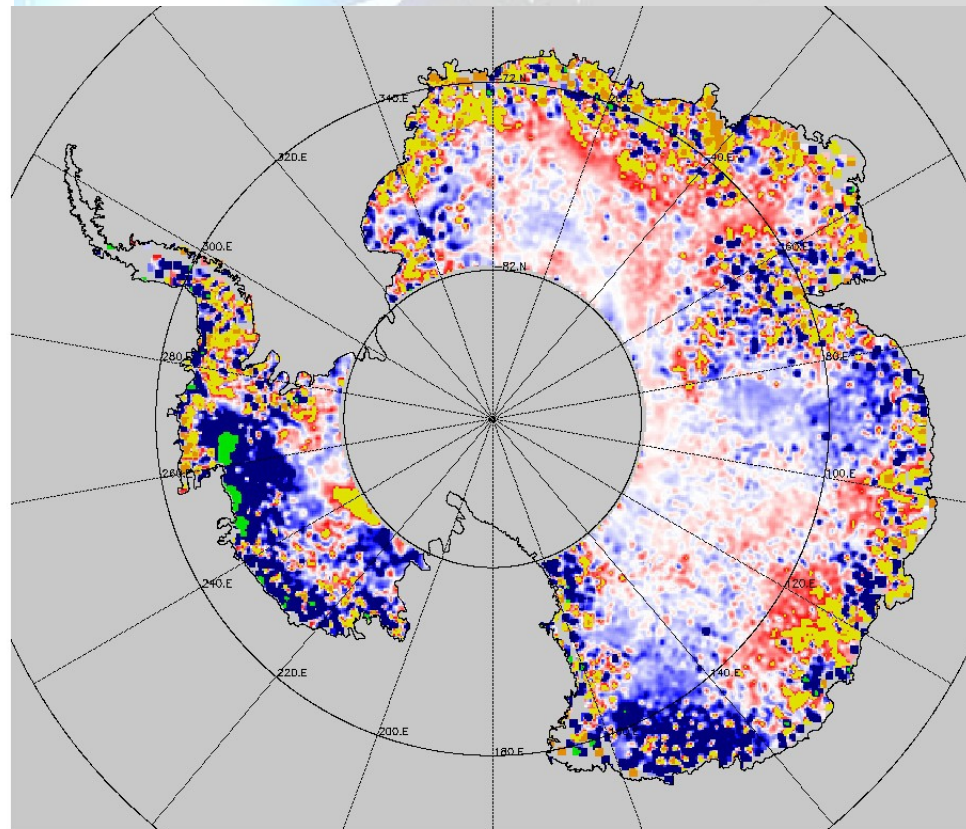
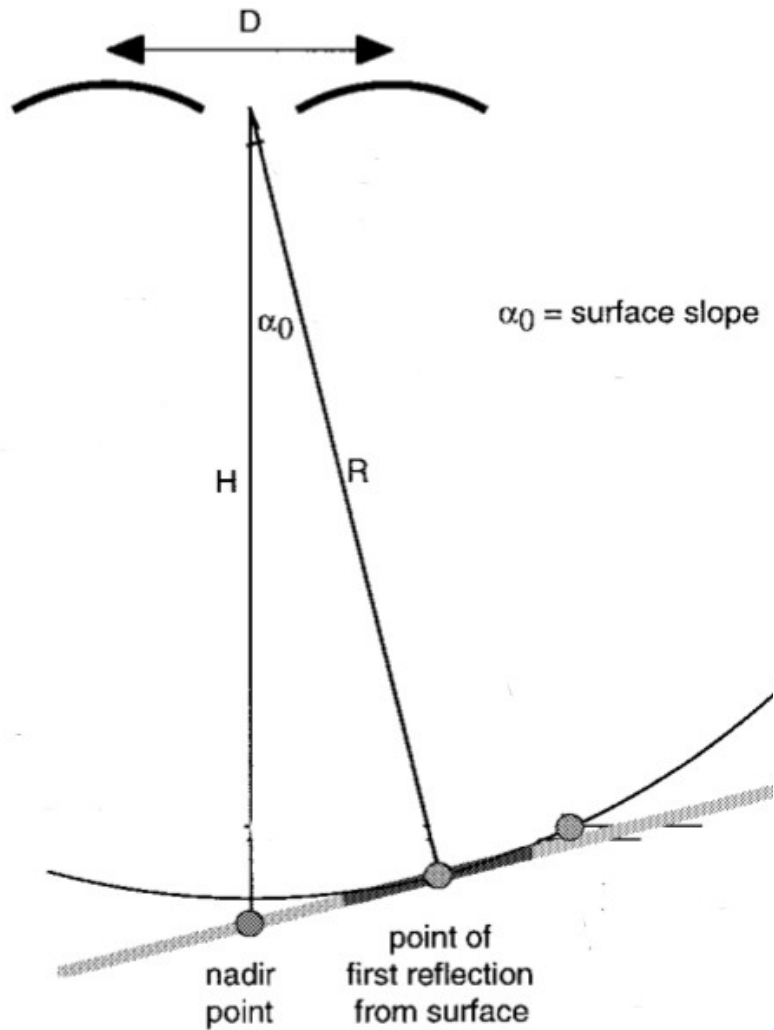
- “SAR mode” (SAR)

Illuminated area narrowed along-track by synthetic aperture processing

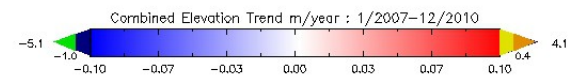
- “Low resolution mode” (LRM)

Conventional pulse-limited altimeter but with a slightly elliptical antenna

Filling in the omission areas in altimeter elevation retrieval

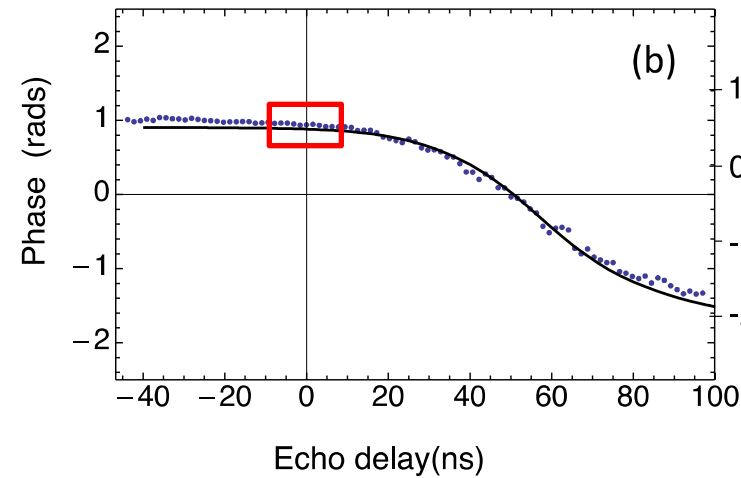
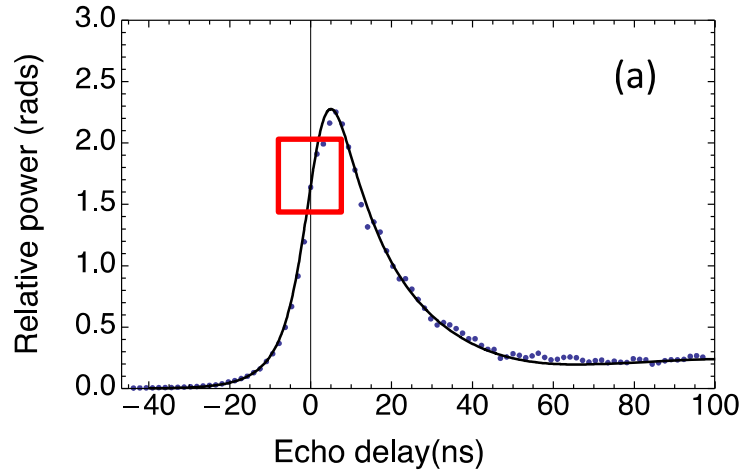


Bin size = 10km²
 Smoothing radius = 20km
 ta_antarctica_combined_04_151_23_73_0_Jand.tedit.aov



Courtesy: A. Muir, CPOM/UCL

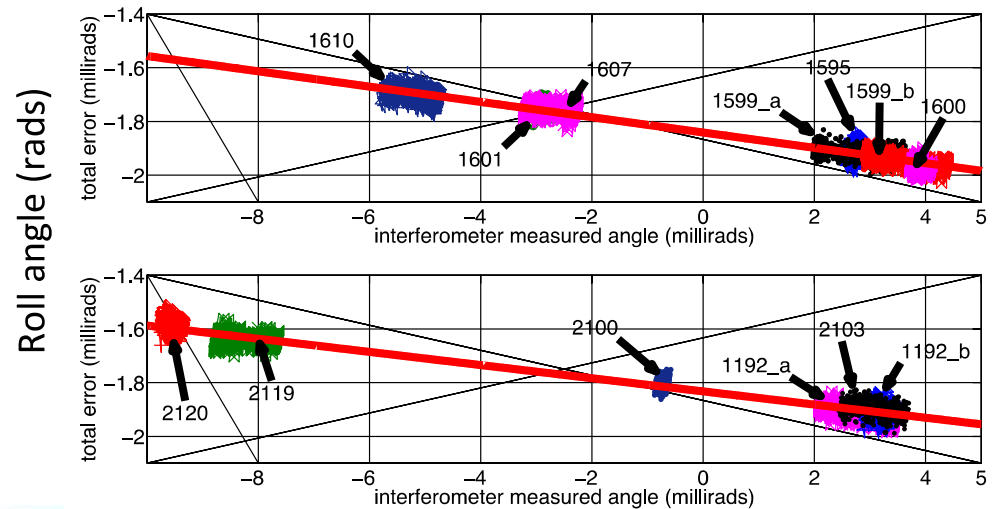
Estimating the interferometer angle



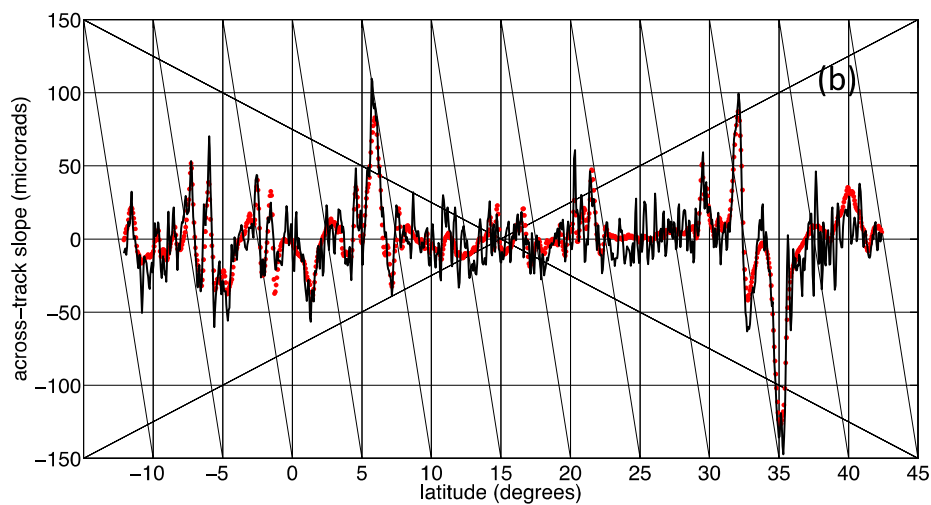
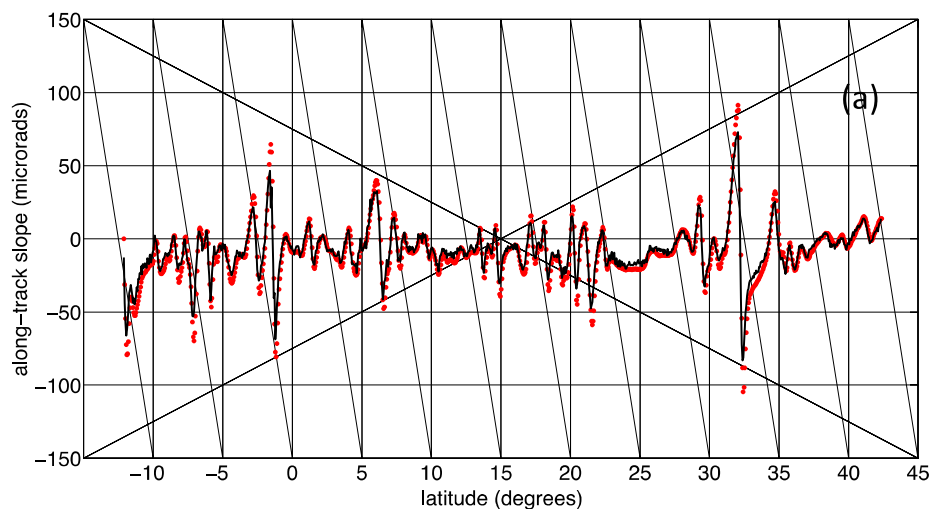
$$\sin(\theta) = \text{Arg}(\Psi(0)) / k_0 B + \varphi_d$$

Measured scale factor:
0.973

Theoretical scale factor:
0.970



Achieved a precision of 25 microrads at 10km



First instantaneous ocean surface vector gradient!

Accuracy of 10 μ rads at 1000km scales

If we fit a model to the data, can we reduce our noise to 10microrads?

| | σ_r | $\sigma_r/\sqrt{N_a - 1}$ | $\bar{\epsilon}_r$ |
|-----------|------------|---------------------------|--------------------|
| SIRAL 'A' | | | |
| 1595 | 20.4 | 0.6 | 3.4 |
| 1599_a | 23.4 | 0.7 | 4.2 |
| 1599_b | 20.0 | 0.8 | -3.7 |
| 1600 | 22.6 | 1.2 | -18.1 |
| 1601 | 20.5 | 0.6 | 3.1 |
| 1607 | 22.1 | 0.9 | 8.6 |
| 1610 | 21.6 | 0.8 | -8.8 |
| SIRAL 'B' | | | |
| 1192_a | 24.5 | 0.8 | -16.0 |
| 1192_b | 25.6 | 1.3 | 6.6 |
| 2100 | 19.1 | 0.7 | 13.4 |
| 2103 | 25.8 | 1.0 | 8.6 |
| 2119 | 22.8 | 0.9 | -9.7 |
| 2120 | 25.0 | 1.0 | 2.7 |



Ocean mesoscale, the attraction, requirements and difficulties

The gridded nature of 2D SSH maps (AVISO / DUACS) can be misleading

Pulse-limited altimetry provides a 1D sea surface height (SSH) observation (along-track profiles \neq not swath)

2D SSH fields (AVISO maps) are reconstructed using Objective Analysis (optimal interpolation) from 1D profiles

Illusion: homogeneous map with mesoscale observation

Reality: strongly anisotropic by nature

- Constrained by measurements where/when there are 1D profiles
- Constrained by correlation scales away from 1D profiles

Correlation scales are realistic (derived from observation) but only a statistical description of mesoscale signals → not to be taken for granted

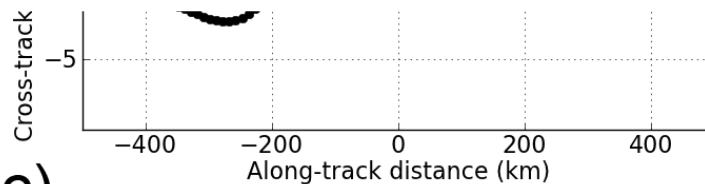
Courtesy: G. Dibarboure, CLS

a) LRM sea surface height profile

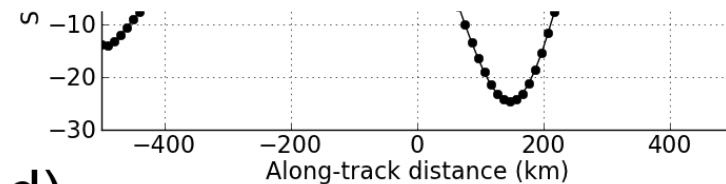
b) SARin height & slope profile

Could the cross-track slope from an actual SARin instrument be used to enhance 2D SSH maps and to reduce the anisotropy ?

Short answer :
Only for 2-structures in strong currents



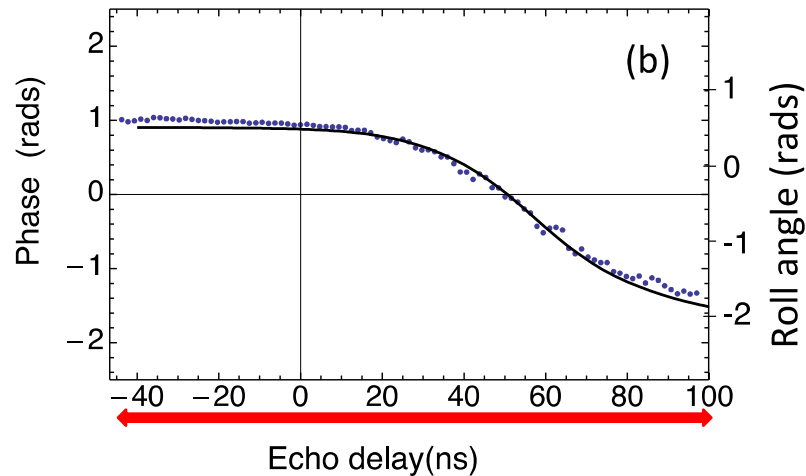
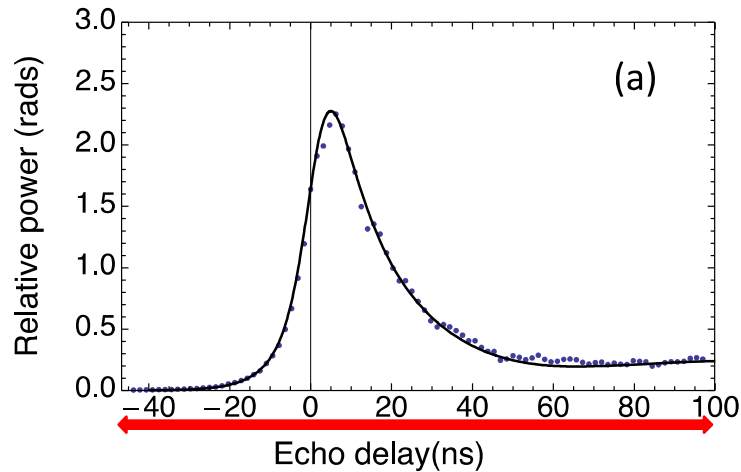
c)



d)

Courtesy: G. Dibarboure, CLS

Fitting the interferometer angle



$$\sin(\theta) = \text{Arg}(\Psi(0)) / k_0 B$$

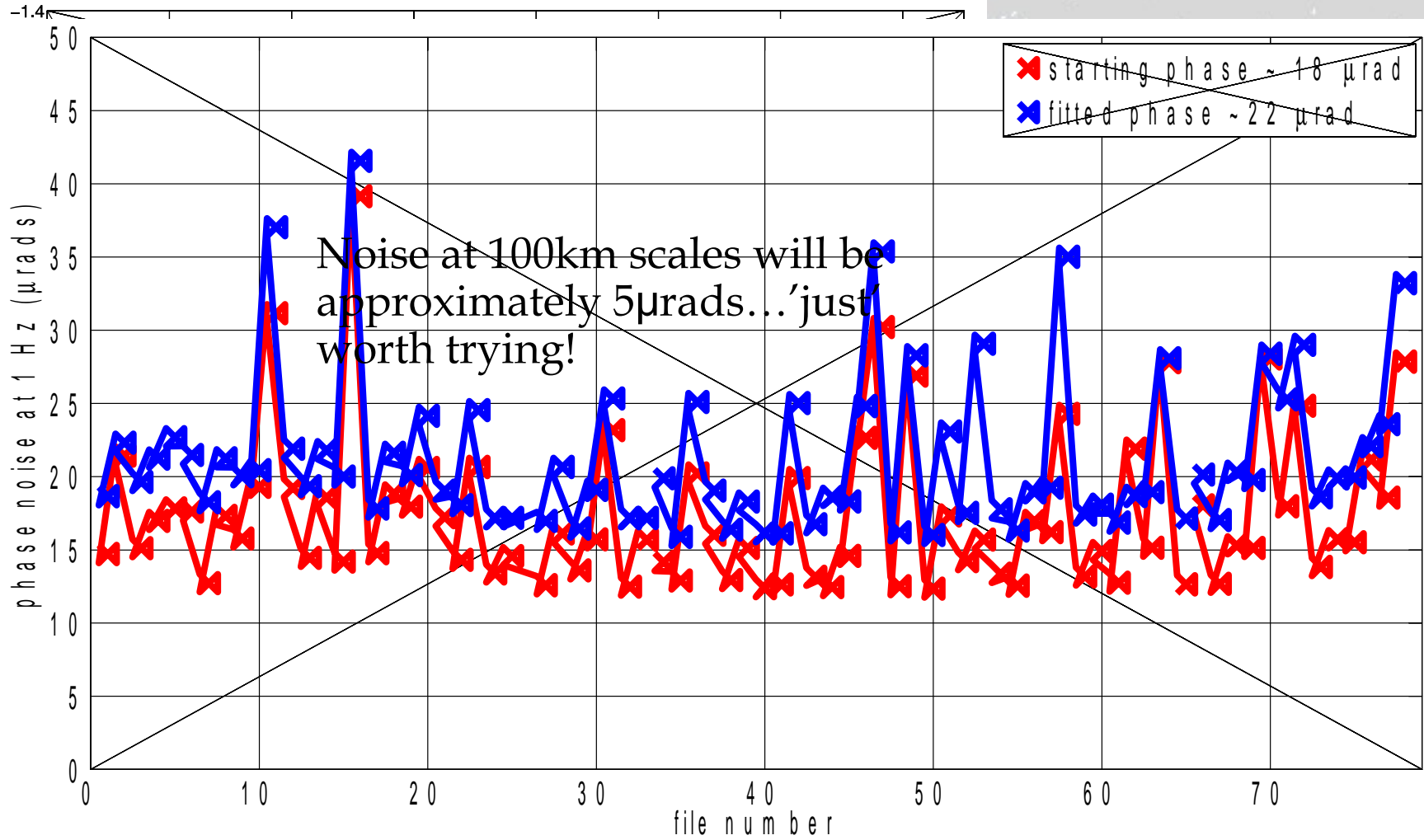
CROSS-PRODUCT IMPULSE RESPONSE

$$X(\tau) \sim \frac{\lambda^2 G_0^2 D_0 c \sigma^0}{32 \pi^2 h^3 \eta} \sum_{k=-\frac{(N_b-1)}{2}}^{\frac{(N_b-1)}{2}} H\left(\tau + \frac{\eta h \xi_k^2}{c}\right) \cdot \int_0^{2\pi} d\vartheta d(\rho \cos \vartheta - \xi_k) e^{ik_0 B(\rho \sin \vartheta - \chi - (\beta/\eta))} \cdot \exp\left[-2\left(\frac{(\rho \cos \vartheta - \mu - (\zeta/\eta))^2}{\gamma_1^2} + \frac{(\rho \sin \vartheta - \chi - \beta/\eta)^2}{\gamma_2^2}\right)\right]$$

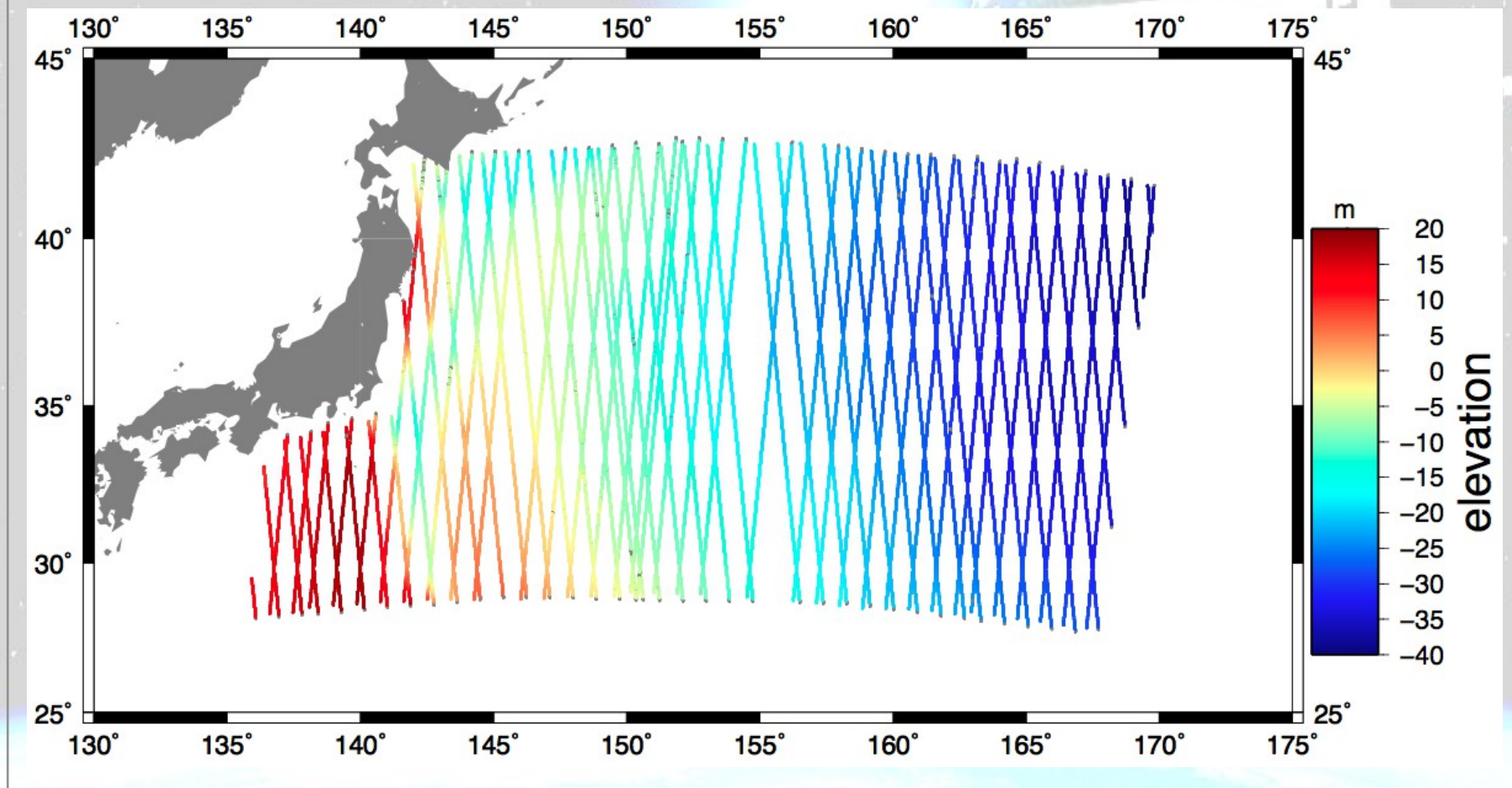
Numerical approximation to the cross-product:

$$X(\sigma^0, \theta, SWH; \tau)$$

The bias versus noise trade-off



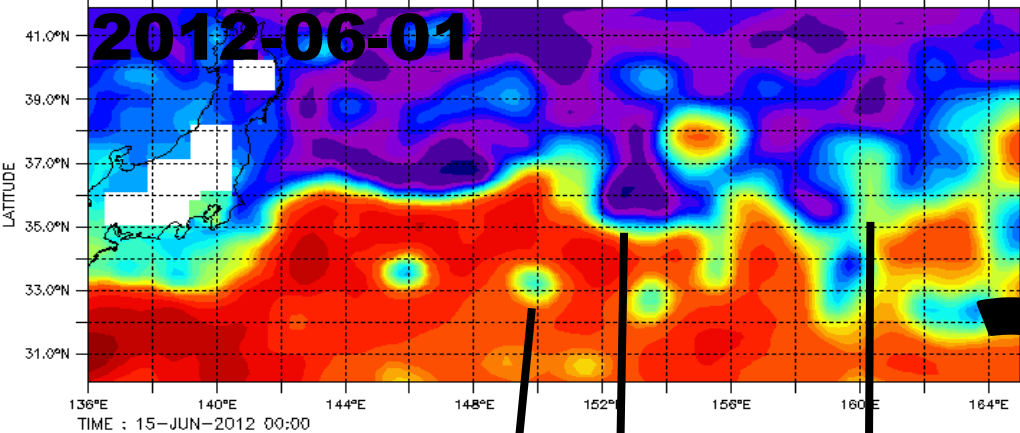
SARIN data over the Kuroshio region, June, 2012



TIME : 01-JUN-2012 00:00

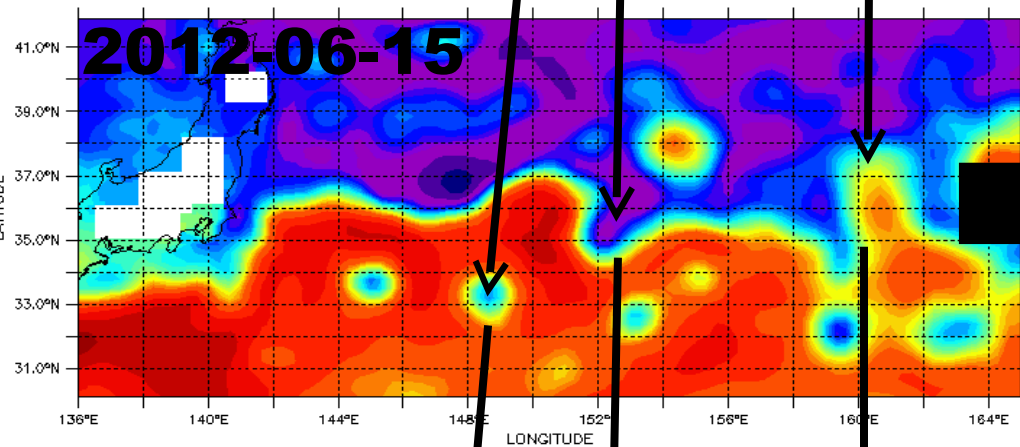
DATA SET: global nrt madt h merged

2012-06-01

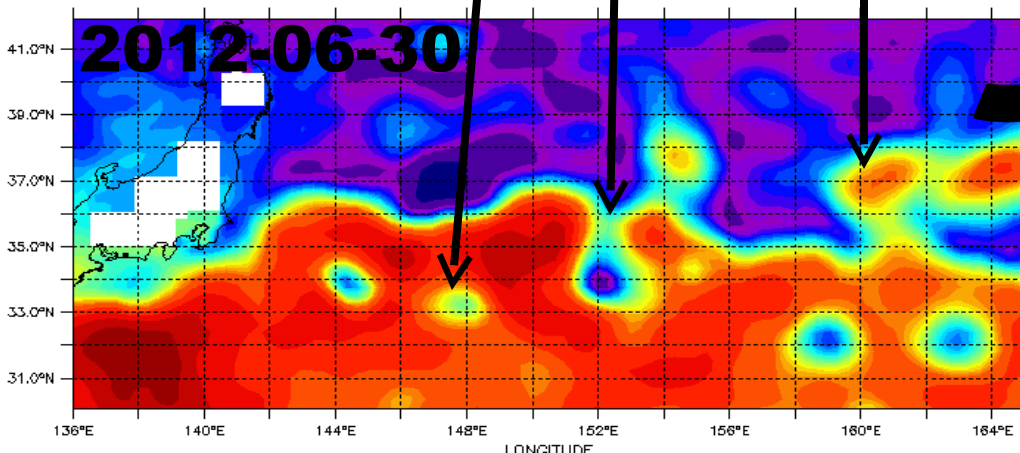


TIME : 15-JUN-2012 00:00

2012-06-15



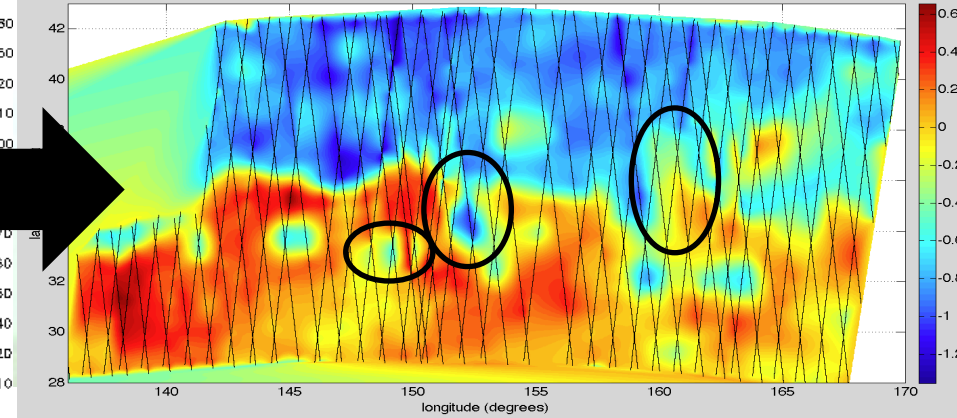
2012-06-30



What do Jason-1/2 see during June, 2012?

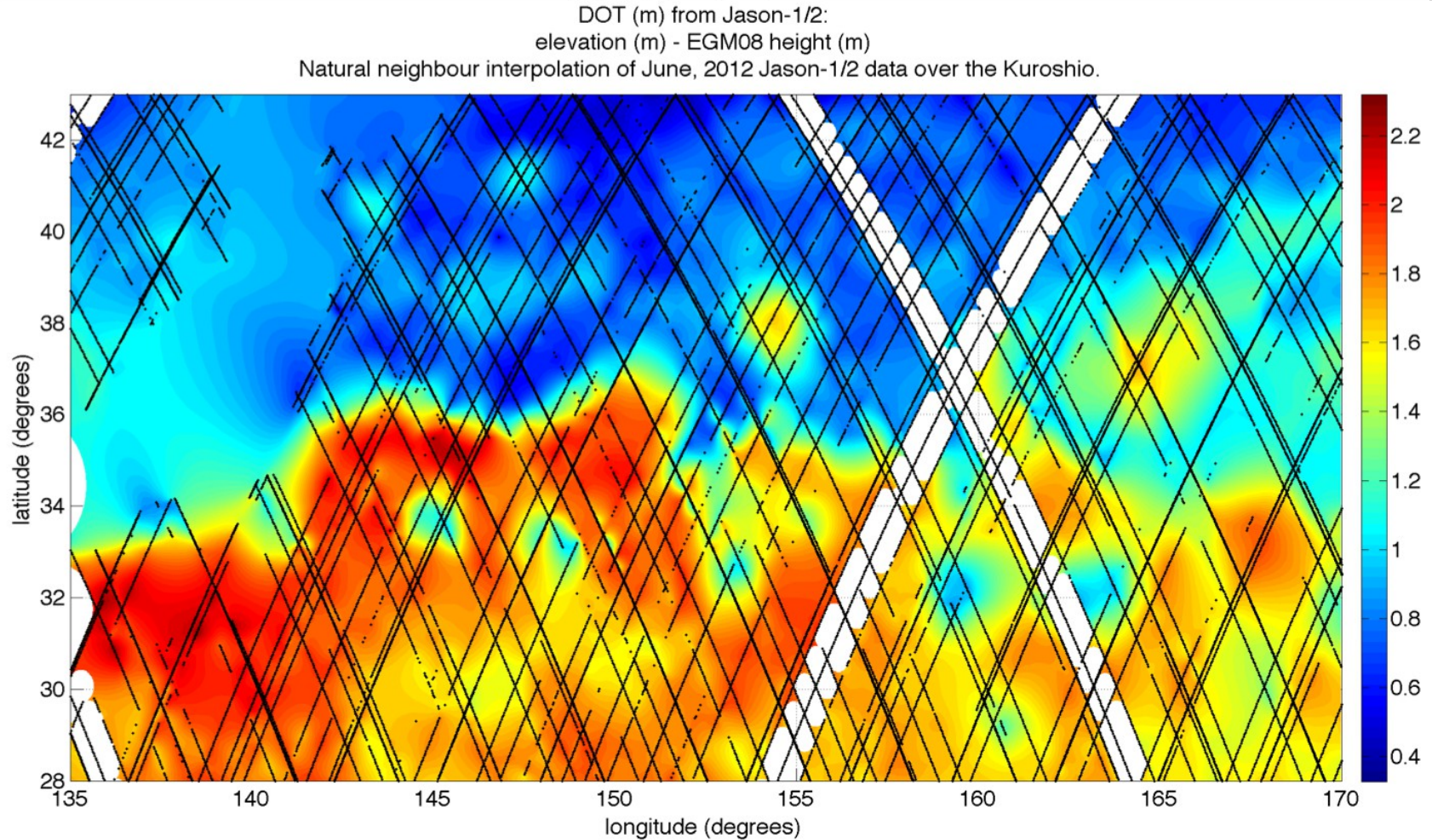


DOT (m) - smoothed over 5Hz (~ 33 km)
Natural neighbour interpolation of June, 2012 SARIN data over the Kuroshio.



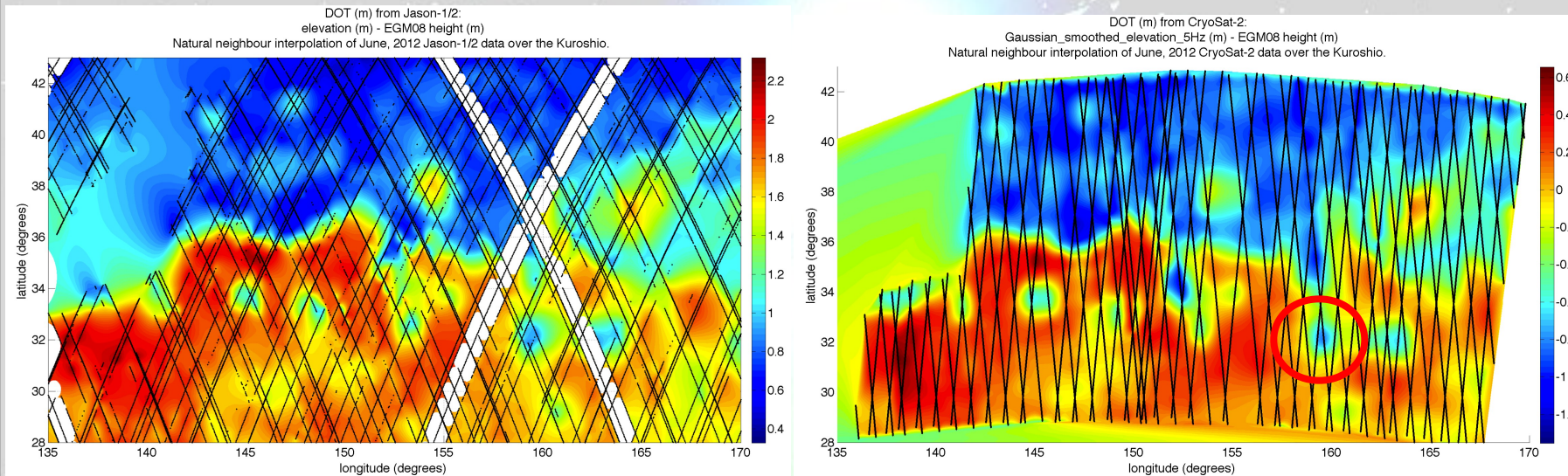
Courtesy: G. Dibarboure, CLS

1. Can CryoSat-2 see dynamic topography?





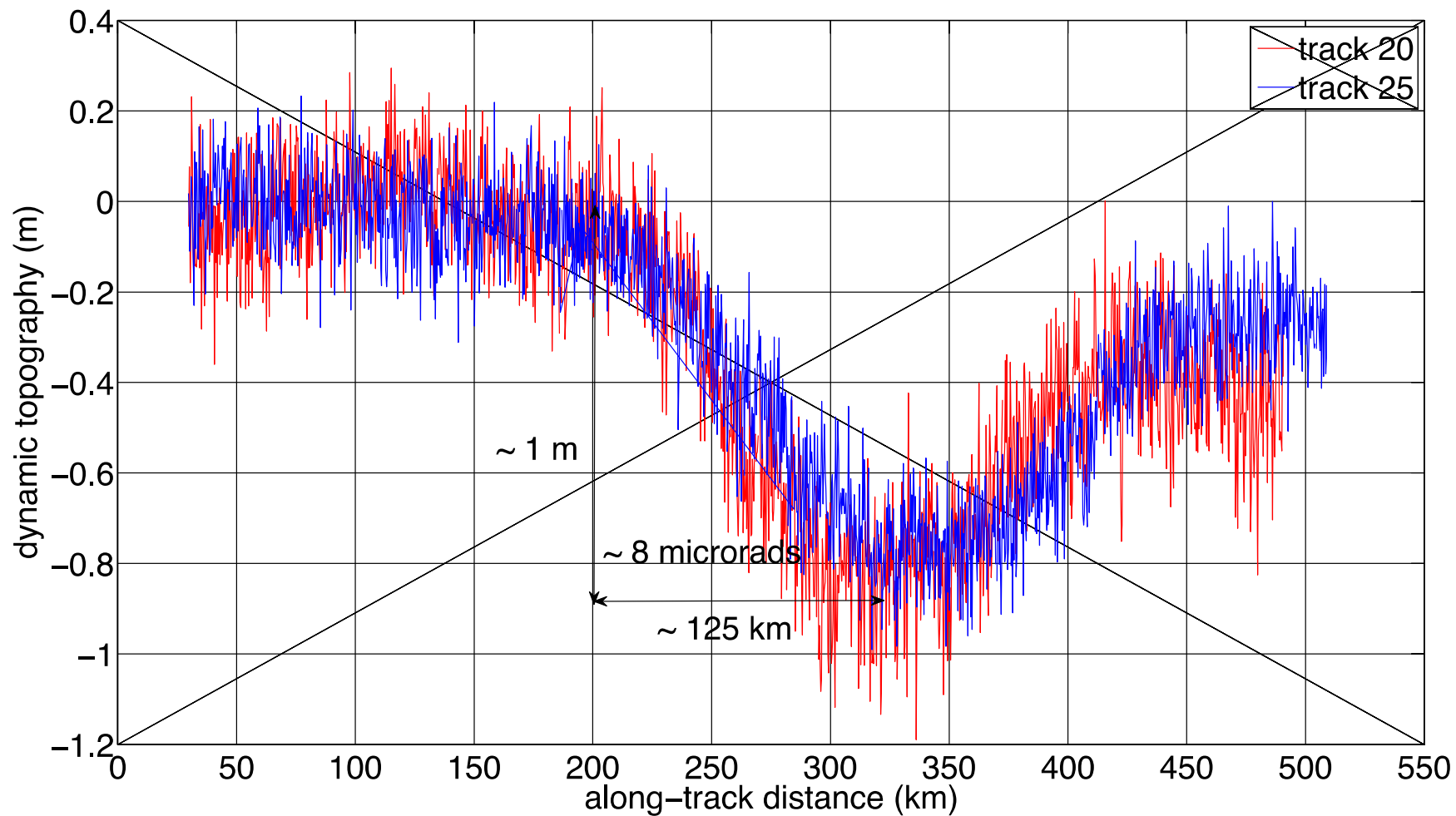
2. Comparing JS-1/2 and CryoSat-2 data with the same interpolation scheme...



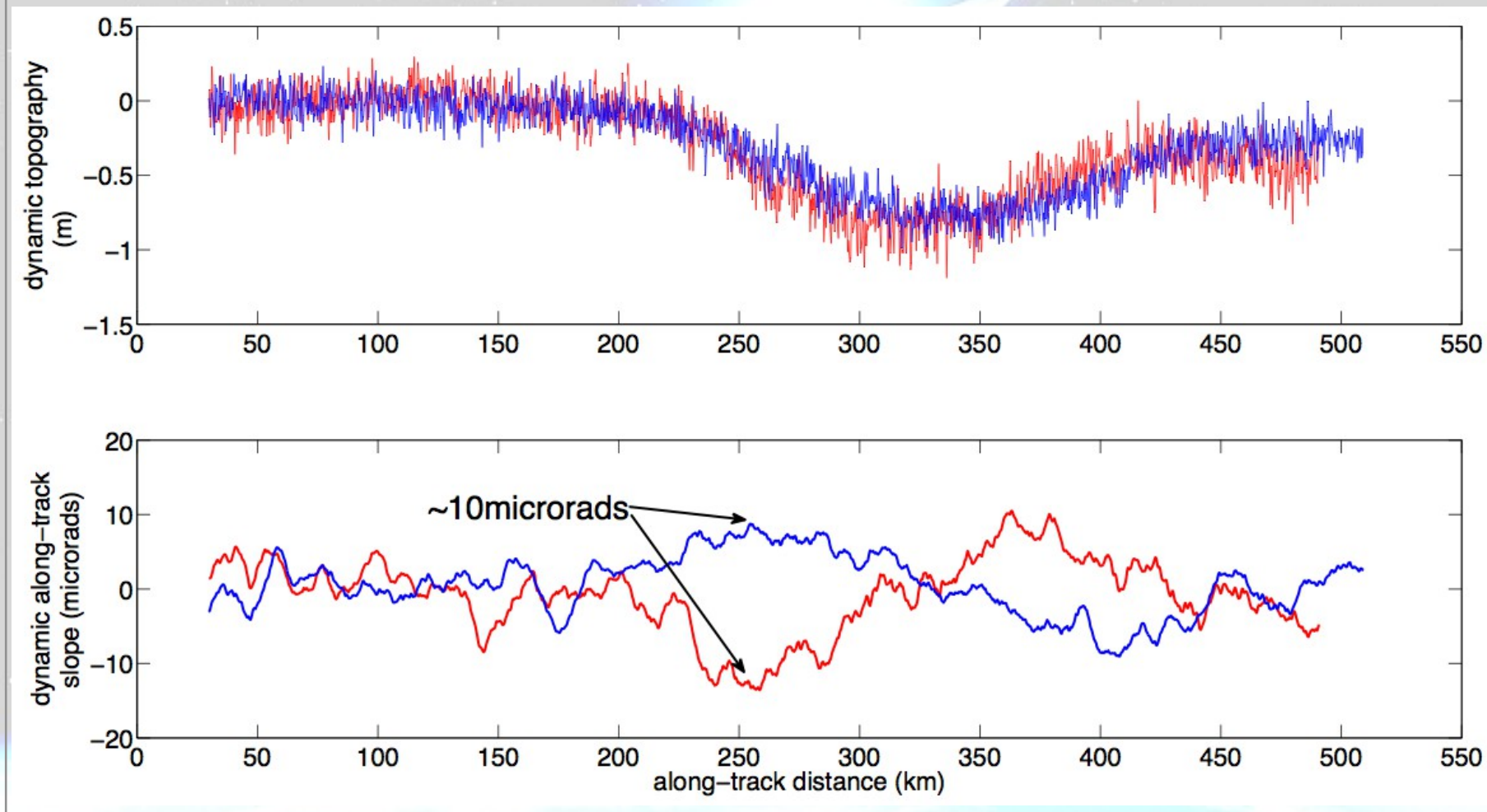
| meters | CryoSat-2 | Jason-1/2 | differences |
|---------|-------------|-------------|---------------|
| mean | -0.31 | 1.28 | |
| stdDev | 0.10 | 0.07 | |
| minimum | -1.35 | 0.33 | 1.68 |
| maximum | 0.66 | 2.32 | 1.66 |
| range | 2.01 | 1.99 | 0.0179 |

3. Yes, CryoSat-2 can see dynamic topography.
Now, let's pick a 'mesoscale' feature and zoom in...

4. What does the feature look like along-track?

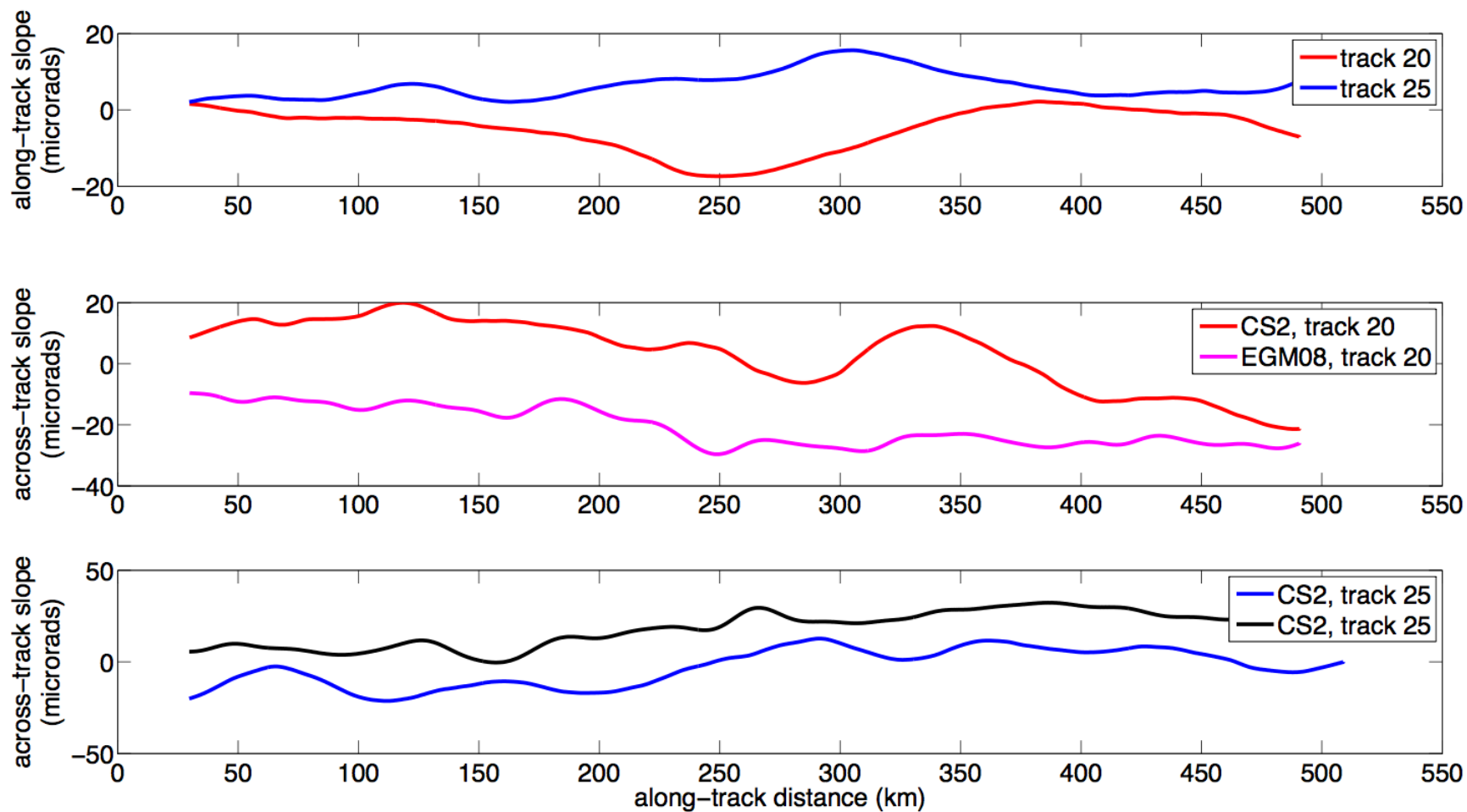


4. What does the feature look like in along-track slope?





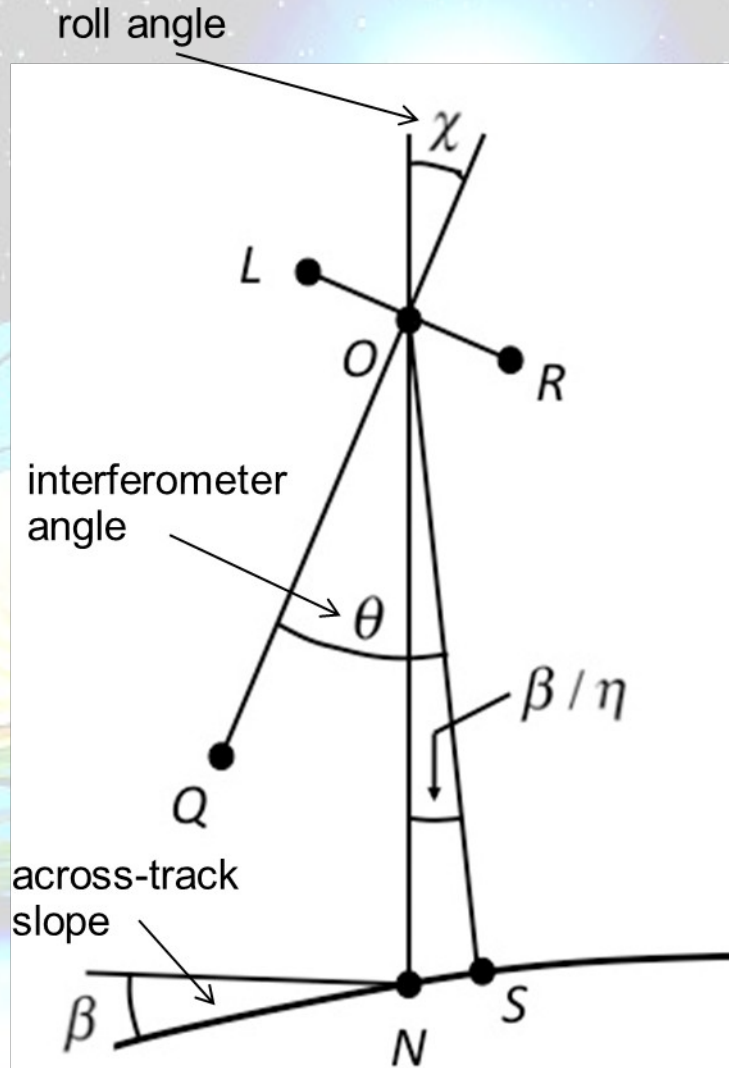
4. What does the feature look like in ACROSS-TRACK slope?



Summary

- We have developed and demonstrated the use of a numerical model to fit the SARIN cross-product.
- Unfortunately, while the model eliminates the biases in the fitted parameters, the noise on the phase-difference increases.
- We anticipate that the phase noise will be of the order of 5 μ rads at scales of 100 km. Consequently, we have **hope** of detecting mesoscale features.
- Currently, we haven't been able to conclusively demonstrate the presence of mesoscale features in the across-track slope. BUT we've only just started looking.
- We have to understand the biases in the CS2 across-track slope.
- We have to look the spectrums of the across-track slope from EGM08 and CS2. Perhaps EGM08 is missing some higher frequency components.
- We have to perform a large-scale quantitative comparison to Jason-1/2 to really understand the capacity of this instrument to detect and measure mesoscale features.

The basic viewing geometry



$$\theta \approx \chi + \beta / \eta + \varepsilon$$

